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### 4.6 Arithmetic Sequences

## Essential Question:

$\qquad$
*A $\qquad$ is an ordered list of $\qquad$ . Each number in the sequence is called a
$\qquad$ . Each term $\qquad$ has a specific position $\qquad$ in the sequence.

*In an $\qquad$ sequence, the $\qquad$ between each pair of consecutive terms is the same. This difference is called the $\qquad$ difference. Each term is found by
$\qquad$ the common difference to the previous $\qquad$ .

*An $\qquad$ is a series of $\qquad$ that indicates an intentional omission of $\qquad$ .

In mathematics, the .... notation means " $\qquad$
$\qquad$ ." The ellipsis indicates that there are $\qquad$ terms in the sequence that are not $\qquad$ .

## EXAMPLE 1 Extending an Arithmetic Sequence

Write the next three terms of the arithmetic sequence.

$$
-7,-14,-21,-28, \ldots
$$

## Graphing Arithmetic Sequences

To graph a sequence, let a term's position number $\qquad$ in the sequence be the $\qquad$ value. The term
$\qquad$ is the corresponding $\qquad$ . Plot the ordered pairs $\qquad$ .

## EXAMPLE 2 Graphing an Arithmetic Sequence

Graph the arithmetic sequence $4,8,12,16, \ldots$. What do you notice?
*MAKE SURE TO CREATE THE GRAPH*

## EXAMPLE 3 Identifying an Arithmetic Sequence from a Graph

Does the graph represent an arithmetic sequence? Explain.


## Writing Arithmetic Sequences as Functions

Because consecutive terms of an arithmetic sequence have a common difference, the sequence has
a $\qquad$ of $\qquad$ So, the points represented by any arithmetic sequence lie on
a $\qquad$ . You can use the first term and the common difference to write a linear function that
describes an arithmetic sequence. Let $\qquad$ $=4$ and $\qquad$ $=3$.

Position, $\boldsymbol{n}$ | 1 |
| :---: |
| 2 |
| 3 |
| 4 |
| $\vdots$ |
| $n$ |

Term, $a_{n}$
first term, $a_{1}$
second term, $a_{2}$
third term, $a_{3}$
fourth term, $a_{4}$
$\quad \vdots$
$n$th term, $a_{n}$
Written using $\boldsymbol{a}_{\mathbf{1}}$ and $\boldsymbol{d}$
$a_{1}$
$a_{1}+d$
$a_{1}+2 d$
$a_{1}+3 d$
$\vdots$
$a_{1}+(n-1) d$

[^0]
## Equation for an Arithmetic Sequence

Let $a_{n}$ be the $n$th term of an arithmetic sequence with first term $a_{1}$ and common difference $d$. The $n$th term is given by

$$
a_{n}=a_{1}+(n-1) d .
$$

## EXAMPLE 4 Finding the $\boldsymbol{n}$ th Term of an Arithmetic Sequence

Write an equation for the $n$th term of the arithmetic sequence $14,11,8,5, \ldots$.
Then find $a_{50}$.
*You can rewrite the equation for an arithmetic sequence with the first term $\qquad$ and the common
difference $\qquad$ in $\qquad$ by replacing $\qquad$ with $\qquad$ .

$$
f(n)=a_{1}+(n-1) d
$$

The domain of the function is the set of positive integers.

## EXAMPLE 5 Writing Real-Life Functions

Online bidding for a purse increases by $\$ 5$ for each bid after the $\$ 60$ initial bid.

| Bid number | 1 | 2 | 3 | 4 |
| :--- | :---: | :---: | :---: | :---: |
| Bid amount | $\$ 60$ | $\$ 65$ | $\$ 70$ | $\$ 75$ |

a. Write a function that represents the arithmetic sequence.
b. Graph the function.
c. The winning bid is $\$ 105$. How many bids were there?



[^0]:    Numbers

    4
    $4+3=7$
    $4+2(3)=10$
    $4+3(3)=13$

    $4+(n-1)(3)$

